

# INDIAN SCHOOL AL WADI AL KABIR

## PRACTICE EXAM (2021-2022)-Term -I Sub: APPLIED MATHEMATICS (241) M

Max Marks: 40 Time: 90 minutes

Date: 14.11.2021

Class: XII

## General Instructions:

- 1. This question paper contains two parts A, B and C. Each part is compulsory.
- 2. Section A has 20 questions, attempt any 16 out of 20.
- 3. Section B has 20 questions, attempt any 16 out of 20.
- 4. Section C has 10 questions, attempt any 8 out of 10.
- 5. There is no internal choice in any question and no negative marking.
- 6. All questions carry equal marks.

### Section A

#### In this section, attempt any 16 questions out of Questions 1 - 20. Each Question is of 1-mark weightage

Q1.	A man can row at 10 km/hr in still water. If the river is running at 2 km/hr, it takes him 75 minutes to row to a place and back. How far is the place											
	Α	4.5km	B	5km	С	6km	D	8km				
Q2.	A c B t	A can run 22.5 meter while B runs 25 meter in the same time. In a 1000 m race, by how much distance B beats A?										
	А	200m	B	120m	С	40m	D	100m				
Q3.	A pipe can fill a tank in 40 minutes. Due to a leakage in the bottom it took 60 minutes to fill the tank. How much time will it take for the leakage to empty the full tank?											
	A	30minutes	В	1 hr	C	2 hrs	D	4hrs				
Q4.	The last two digits of the product $2103 \times 3125 \times 45123$											
	Α	23	B	25	С	75	D	45				

Q5.	If the matrix $\begin{pmatrix} 0 & x & 3 \\ 2 & y & -1 \\ z & 1 & 0 \end{pmatrix}$ is a skew symmetric matrix, then									
	values of x, y and z:									
	<b>A</b> $x = 0, y = 1, z = 0$ <b>B</b> $x=2, y=0, z=3$ <b>C</b> $x=-2, y=1, z=-3$ <b>D</b> $x=-2, y=0, z=-3$									
Q6.	If $A = \begin{pmatrix} 5 & 3 & -2 \\ 0 & 5 & 1 \\ 2 & 2 & -2 \end{pmatrix}$ , then cofactor of <i>the element</i> 1.									
	A	0	В	4	С	2 –4 D			-6	
Q7.	$If \begin{bmatrix} 5 & -10 & 3 \\ -2 & -4 & 6 \\ -1 & -2 & b \end{bmatrix} is a singular matrix then value of b$									
	A	3	B	-3	С		2	D	-2	
Q8.	If the total revenue Rupees received from sales of x units of a products is given by									
	$R(x) = 3x^2 + 36x + 5$ , then the marginal revenue when $x = 15$ .									
	A	₹ 126	В	₹116	C	₹1	220	D	₹ 675	
Q9.	1  1  1	$\begin{vmatrix} a & a^2 \\ b & b^2 \\ c & c^2 \end{vmatrix} = \_\_\_$								
	A	0	<b>B</b> (	(a-b)(b-c)(c-b)	a)	С	$a^2b^2c^2$	D	$abc(a^2+b^2+c^2)$	
Q10.	If _	$f(x) = x^3 - 3$	8x, then	f(x)is strictly de	crea	sing	ı in			
	A	(1,∞)	В	(−∞,−1))	С		(-1,1)	D	(0,1)	
Q11.	The maximum profit that a company can make, if the profit function is given by $P(x) = 41 + 24x - 18x^{2}.$									
	A	41	В	43	С		65	D	49	

Q12.	The mean of a distribution is 60 with standard deviation 5. Assuming that the distribution is normal, what percentage of items be between 65 and 75? Given: $P(Z < 1) = 0.8413$ , $P(Z < 2) = 0.9772$ , $P(Z < 3) = 0.9986$										
	GIV	P(Z < 1) = 0	0.841	3, P(Z < 2) =	0.97	72, P(Z < 3) = 0.9	980				
	А	19.73	B	15.73	C	20.74	D	12.14			
Q13.	Teı Fin	n Oranges are drawn successively with replacement from a lot containing 10% defective orang a the probability that there is at least one defective orange.									
	A	$1 - \frac{9^{11}}{10^{11}}$	В	$1 - \frac{9^{10}}{10^{10}}$	С	$1 - \frac{9^{10}}{10^{10}}$	D	$1 - \frac{9^9}{10^9}$			
Q14.	If the proportion of defective in a bulk is 4% then the probability of 2 defective in a sample of 10. (Given: $e^{-0.4} = 0.6703$ )										
	A	0.0536	B	0.0636	C	0.0736	D	0.0836			
Q15.	Find the mean number of heads in three tosses of a fair coin										
	A	1	B	1.5		2	D	$\frac{1}{2}$			
Q16.	If t	he mean and varia	nce o	f a binomial distrib	utior	are $\frac{4}{3}$ and $\frac{8}{9}$ respect	ively	v, then P(x=1)			
	A	$\frac{32}{27}$	B	$\frac{8}{27}$	С	$\frac{32}{81}$	D	$\frac{8}{81}$			
Q17.	Th	e variance of a Poi	sson	distribution is 2, the	en P(	(X=2)					
	A	$\frac{2}{e^2}$	B	$\frac{4}{e^2}$	С	2 <i>e</i> <sup>2</sup>	D	$4e^2$			
Q18.	W	hich index number	is ca	lled as ideal index	numl	ber?					
	A	Laspeyres' index	В	Paasche index	С	Fisher's index	D	Marshall-Edgeworth's index			
Q19.	Giv 1 a	Ven that $\Sigma p_0 q_0 = 6$ re used for base ye	6600, ar an	$\Sigma p_0 q_1 = 8255, \Sigma p_0 d$ current year respe	P <sub>1</sub> q <sub>0</sub> ective	= 9550, $\Sigma p_1 q_1 = 120$ ely. The Paashe's ind	010, ex n	where subscripts 0 and umber is:			
	A	144.70	В	145.49	С	143.09	D	125.76			

Q20.	Th	e weighted aggrega	te ir	dex number for the	e foll	owing data is:					
		Variable			Pri	ce		Weights			
			]	Base year		Current year					
		А		4		5		60			
		В		2		3		50			
		С		1		2		30			
	A	72.5	B	142.8	С	137.83 <b>D</b>		140.5			
SECTION – B In this section, attempt any 16 questions out of the Questions 21 - 40. Each Question is of 1-mark weightage.											
Q21.	What time will it be after 200 hours, if the present time is 5:00 am?										
	A	5:00 am	B	5:00 pm	C	1:00pm <b>D</b>		1:00am			
Q22.	Eva	aluate: 7 <sup>12</sup> ( <i>mod</i> 5)			L		I				
	A	0	В	1	С	2	D	5			
Q23.	The eve	e probability of an e ents, then P(A/B).	even	t A occurring is 0.4	and	of B is 0.5. If A and	B a	re mutually exclusive			
	A	0.4	В	0	C	0.8	D	0.9			
Q24.	Du loc cor	ring a pandemic, 10 ality get infected by nplications is:	)% o v the	f the patients who h disease, then the st	nave anda	the disease get comp rd deviation of the n	olica umt	tions. If 100 patients of a ber of patients getting			
	A	1	B	2	С	3	D	4			

Q25.	Suppose that two cards are drawn at random from a deck of cards. Let X be the number of aces obtained. Then the value of E(X) is											
	A	$\frac{2}{13}$	B	$\frac{5}{13}$	C $\frac{1}{13}$ D		37 221					
Q26.	The	The total area under the normal distributed curve above the base line i.e. $\int_{-\infty}^{\infty} f(x) dx = ?$										
	A	0	В	œ	С	C 0.5 D 1						
Q27.	How many times must we should toss a fair coin so that the probability of getting at least one head is more than 90%?											
	A	2	В	3	С	4	D	5				
Q28.	A, B and C enter into a partnership. B contributes one third of the capital while A contributes as much as B and C together contribute. The ratio of their capital is											
	A	1:2:3	B	2:3:1	С	3:2:1	D	3:1:2				
Q29.	Ak: inv	shay started a busin ested ₹ 50000 The	ess l share	by investing ₹ 4000 e of Ashwin in the p	0 A profi	fter 4 months Ashwi t if they earn ₹ 22000	n jo )0 a	ined his business and s profit in the entire year				
	A	₹ 100000	B	₹ 110000	C	₹ 120000	D	₹ 90000				
Q30.	The	e random variable X nber:	K has	s a probability distri	ibuti	on P(X) of the follow	ving	form, where k is some				
	P(2	$X = x_i) = \begin{cases} 0.1, \\ kx, \\ k(5-1) \end{cases}$	if x),	if x = 0 x = 1  or  2  Deter if x = 3  or  4	mine	e the value of k						
	A	$\frac{3}{20}$	B	$\frac{3}{10}$	С	$\frac{2}{5}$	D	$\frac{11}{20}$				

Q31.	The length of a rectangle is twice the breadth. If the perimeter of the rectangle is at least 120 cm, then										
	Α	<b>A</b> breadth < 20cm <b>B</b> breadth $\leq 20cm$ <b>C</b> breadth > 20cm <b>H</b>				D	$breadth \geq 20cm$				
Q32.	$\begin{bmatrix} 1 & x & 1 \end{bmatrix} \begin{bmatrix} 1 & 3 & 2 \\ 0 & 5 & 1 \\ 0 & 3 & 2 \end{bmatrix} \begin{bmatrix} x \\ 1 \\ -2 \end{bmatrix} = 0 \text{ Then } \mathbf{x} = \_$										
	A	$\frac{1}{2}$	B	$-\frac{1}{2}$	$\frac{1}{2}$ <b>C</b> 2 <b>D</b> -2						
Q33.	The points at which the tangent to the curve $y = x^3 + 5$ is perpendicular to the line $x + 3y = 2$ are										
	A	(1, 6) and (-1, 4)	B	(1,6) and (1, 4)	С	(6, 1) and (4, 1)	D		(6,1) and (-1, 4)		
Q34.	The	e second order deriv	ativ	e of $x$ . ( $log x$ ) with	resp	ect to x.	<u>.</u>				
	A	$\frac{x}{1+x}$	В	$\frac{1+x}{x}$	С	$\frac{logx}{x}$	D	1 + logx			
Q35.	The For	e demand function or r maximum profit, t	of a t he va	boy is $p(x) = 25 -$ alue of x is	$\frac{x}{3}$ and	id its total cost functi	ion i	s c()	x) = 100 + 3x.		
	A	22	B	25	C	100	D		33		
Q36.	Du wo	ring a certain period rker is also raised fi	d, the	e cost of living inde ₹ 20000 to ₹ 23700	x nu . The	mber goes from 125 en which of the follo	to 1 win	50 a g is t	nd the salary of a rue?		
	A	Worker actually loses ₹ 200	B	Worker actually gains ₹ 200	С	Worker actually loses ₹ 700	D	Wo 700	rker actually gains ₹		

Q37.	The wholesale price index of rice in 2020 compared to 2015 is 140. If the cost of rice was ₹ 25 per kg in 2015, calculate the cost in 2020.											
	A	₹ 28	B	₹ 35	C ₹40 I		D	₹ 30				
Q38.	If Laspeyre's index number = 160, Paasche's index number = 90 then Fisher's index number is											
	A     90     B     120     C     140     D     160											
Q39.	Price index by Marshall Edgeworth method takes											
	A	$q_0$ as weights	B	$q_1$ as weights	C	$q_0.q_1$ as weights	D	$\frac{q_0+q_1}{2}$ as weights				
Q40.	If A is a square matrix of order 3 and $ A  = -5$ , then $ A.adjA  = \_\_\_$											
	A -5 B 25 C -125 D 625							625				
In th	is see	ction, attempt any (Q	8 qu Juest	SECTIO lestions out 10 Qu ions 46-50 are bas	N — estic sed o	C ons. Each question is n a Case-Study).	s of	1-mark weightage.				
Q41.	The 2:3	e CP of type 1 rice i then the price per I	s₹6 Kgo	50 per Kg and that of the mixed rice is 5	of ty∣ ₹	be2 is ₹ 80 per Kg If 	bot	h are mixed in the ratio				
	A	72	В	75	C	65	D	70				
Q42.	If C	<pre>0 &lt; x &lt; 1, which o</pre>	f th	e following is the	e gre	eatest?						
	A	x	B	<i>x</i> <sup>2</sup>	С	$\frac{1}{x}$	D	$\frac{1}{x^2}$				

Q43.	If :	If $x^2 + y^2 = 25$ , then $\frac{dy}{dx}$														
	Α		$\frac{25-2}{2y}$	<u>x</u>	B		$-\frac{x}{y}$	С	$-\frac{x}{2y}$		D	<b>D</b> $-\frac{2y}{x}$				
Q44.	Giv the	Given: A and B throw a die alternatively till one of them gets a '6' and wins the game. If A starts the game, then the probability of A wins the game is														
	A	1			B	0		С	$\frac{6}{1}$	1	D		$\frac{5}{11}$	Ī		
Q45.	Atu star mat Giv	il sc ndai tes i zen:	cored 800 rd deviati in the wh Z-table (	) marks on was ole distr (values f	in to calo rict. fror	otal out culated n 0.1 to	of 1000. to be 180	The av 9. Find o	erage score out how ha	e for the t s Atul sco	oatch	was ´ comp	710 and ared to h	the is batch		
	1	z 👘	0.00	0.01		0.02	0.03	0.04	0.05	0.06	0.0	)7	0.08	0.09		
	0.	.0	.5000	.5040		.5080	.5120	.5160	.5199	.5239	.52	79	.5319	.5359		
	0.	1	.5398	.5438		.5478	.5517	.5557	.5596	.5636	.56	75	.5714	.5753		
	0.	2	.5793	.5832		.5871	.5910	.5948	.5987	.6026	.60	64	.6103	.6141		
	0.	3	.6179	.6217		.6255	.6293	.6331	.6368	.6406	.64	43	.6480	.6517		
	0.	4	.6554	.6591		.6628	.6664	.6700	.6736	.6772	.68	80	.6844	.6879		
	0.	5	.6915	.6950		.6985	.7019	.7054	.7088	.7123	.71	57	.7190	.7224		
	0.	.6	.7257	.7291		.7324	.7357	.7389	.7422	.7454	.74	86	.7517	.7549		
	0.	7	.7580	.7611		.7642	.7673	.7704	.7734	.7764	.77	94	.7823	.7852		
	0.	8	.7881	.7910		.7939	.7967	.7995	.8023	.8051	.80	78	.8106	.8133		
	0.	9	.8159	.8186		.8212	.8238	.8264	.8289	.8315	.83	40	.8365	.8389		
	1.	.0	.8413	.8438		.8461	.8485	.8508	.8531	.8554	.85	77	.8599	.8621		
	Α	At in	ul did be the distri	tter thar ct.	1 69	0.15% o	f students	B	Atul did b district.	better that	n 30.3	85% (	of studen	its in the		
	In the district.   C Ramesh did better than 84.13% of students in the district.					% of	D	Atul did better than 15.87% of students in the district.								

		CASE STUDY I	BAS	ED QUESTION							
	An The inp and of x nee con Yan Bass foll	industry produces e two commodities ut in each other's p 0.55 unit of y are a x. Whereas 0.4 unit ded to produce a un sumption 240 units re needed. sed on the above in owing questions:	only serv rodu need of $\lambda$ nit o s of $\lambda$	two goods x and y. e as intermediate actions. 0.1 unit of x ed to produce a uni X and 0.2 unit of y a f Y. For final X and 140 units of nation answer the	t tre						
Q46.	The technology matrix A is										
	А	$\begin{pmatrix} 0.1 & 0.4 \\ 0.55 & 0.2 \end{pmatrix}$	В	$\begin{pmatrix} 0.1 & 0.2 \\ 0.55 & 0.4 \end{pmatrix}$	С	$\begin{pmatrix} 0.2 & 0.4 \\ 0.55 & 0.1 \end{pmatrix}$	D	$\begin{pmatrix} 0.1 & 0.55 \\ 0.4 & 0.2 \end{pmatrix}$			
Q47.	The demand Matrix D is										
	А	$\binom{140}{240}$	B	$\binom{240}{140}$	С	$\binom{100}{140}$		$\binom{240}{100}$			
Q48.	If I	represents the ider	ntity	matrix of order 2, the	hen	I - A					
	А	$\begin{pmatrix} 0.9 & 0.8 \\ 0.45 & 0.6 \end{pmatrix}$	В	$\begin{pmatrix} 0.8 & -0.4 \\ -0.55 & 0.9 \end{pmatrix}$	С	$\begin{pmatrix} 0.9 & -0.4 \\ -0.55 & 0.8 \end{pmatrix}$	D	$\begin{pmatrix} 0.9 & -0.55 \\ -0.4 & 0.8 \end{pmatrix}$			
Q49.	(1 -	$(-A)^{-1} =$									
	A	$2\begin{pmatrix} 0.8 & 0.4\\ 0.55 & 0.9 \end{pmatrix}$	В	$2\begin{pmatrix} 0.9 & 0.4\\ 0.55 & 0.8 \end{pmatrix}$	С	$\frac{1}{2} \begin{pmatrix} 0.8 & -0.4 \\ -0.55 & 0.9 \end{pmatrix}$	D	$\frac{1}{2} \begin{pmatrix} 0.9 & 0.55 \\ 0.4 & 0.8 \end{pmatrix}$			
Q50.	The	e gross output of tw	/0 C0	ommodities are							
	A	X = 596, Y = 416	B	X = 470, $Y = 510$	С	X = 496, $Y = 416$	D	X = 496, Y = 516			